

# Package ‘EBEN’

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**Type** Package

**Title** Empirical Bayesian Elastic Net

**Version** 5.2

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**Maintainer** Anhui Huang <anhuihuang@gmail.com>

**Description** Provides the Empirical Bayesian Elastic Net for handling multicollinearity in generalized linear regression models. As a special case of the 'EBglmnet' package (also available on CRAN), this package encourages a grouping effects to select relevant variables and estimate the corresponding non-zero effects.

**License** GPL

**Depends** R (>= 2.10)

**NeedsCompilation** yes

**Repository** CRAN

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EBEN-package

*Empirical Bayesian Elastic Net (EBEN)*

---

## Description

Fast EBEN algorithms.

EBEN implements a normal and generalized gamma hierarchical priors.

( \*\*) Two parameters (alpha, lambda) are equivalent with elastic net priors.

( \*\*) When parameter alpha = 1, it is equivalent with EBlasso-NE (normal + exponential)

Two models are available for both methods:

( \*\*) General linear regression model.

( \*\*) Logistic regression model.

Multi-collinearity:

( \*\*) for group of high correlated or collinear variables: EBEN identifies the group of variables estimates their effects together.

( \*\*) group of variables can be selected together.

\*Epistasis (two-way interactions) can be included for all models/priors

\*model implemented with memory efficient c code.

\*LAPACK/BLAS are used for most linear algebra computations.

## Details

Package: EBEN  
Type: Package  
Version: 5.2  
Date: 2015-10-06  
License: gpl

## Author(s)

Anhui Huang

## References

key algorithms:

Cai, X., Huang, A., and Xu, S. (2011). Fast empirical Bayesian LASSO for multiple quantitative trait locus mapping. *BMC Bioinformatics* 12, 211.

Huang A, Xu S, Cai X. (2013). Empirical Bayesian LASSO-logistic regression for multiple binary trait locus mapping. *BMC genetics* 14(1):5.

Huang, A., Xu, S., and Cai, X. (2014). Empirical Bayesian elastic net for multiple quantitative trait locus mapping. *Heredity* 10.1038/hdy.2014.79

Other publications:

Huang, A., E. Martin, et al. (2014). "Detecting genetic interactions in pathway-based genome-wide

association studies." *Genet Epidemiol* 38(4): 300-309.  
Huang, A., S. Xu, et al. (2014). "Whole-genome quantitative trait locus mapping reveals major role of epistasis on yield of rice." *PLoS ONE* 9(1): e87330.  
Huang, A. (2014). "Sparse model learning for inferring genotype and phenotype associations." Ph.D Dissertation. University of Miami(1186).

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BASIS

*An Example Data File for the Gauss Model*

---

### **Description**

This is a 1000x481 sample feature matrix

### **Usage**

```
data(BASIS)
```

### **Format**

The format is: int [1:1000, 1:481] 0 -1 0 0 1 0 1 0 1 0 ...

### **Details**

The data was simulated on a 2400cM chromosome, each column corresponded to an even spaced QTL

### **Source**

Huang, A., Xu, S., and Cai, X. (2014). Empirical Bayesian elastic net for multiple quantitative trait locus mapping. *Heredity* 10.1038/hdy.2014.79

### **Examples**

```
data(BASIS)
```

---

BASISbinomial

*An Example Data File for the Binomial Model*

---

### Description

This is a 500x481 sample feature matrix

### Usage

```
data(BASISbinomial)
```

### Format

The format is: int [1:500, 1:481] 0 -1 0 0 0 0 -1 -1 0 1 ...

### Details

The data was simulated on a 2400cM chromosome, each column corresponded to an even spaced QTL

### Source

Huang A, Xu S, Cai X: Empirical Bayesian LASSO-logistic regression for multiple binary trait locus mapping. BMC genetics 2013, 14(1):5.

### Examples

```
data(BASISbinomial)
```

---

EBlasticNet.Binomial *The EB Elastic Net Algorithm for Binomial Model with Normal-Gamma(NG) Prior Distribution*

---

### Description

Generalized linear regression, normal-Gxponential (NG) hierarchical prior for regression coefficients

### Usage

```
EBlasticNet.Binomial(BASIS, Target, lambda, alpha, Epis = FALSE, verbose = 0)
```

**Arguments**

BASIS	sample matrix; rows correspond to samples, columns correspond to features
Target	Class label of each individual, TAKES VALUES OF 0 OR 1
lambda	Hyperparameter controls degree of shrinkage; can be obtained via Cross Validation; $\lambda > 0$
alpha	Hyperparameter controls degree of shrinkage; can be obtained via Cross Validation; $0 < \alpha < 1$
Epis	TRUE or FALSE for including two-way interactions
verbose	0 or 1; 1: display message; 0 no message

**Details**

If Epis=TRUE, the program adds two-way interaction of  $K*(K-1)/2$  more columns to BASIS

**Value**

weight	the none-zero regression coefficients: col1,col2 are the indices of the bases(main if equal); col3: coefficient value; col4: posterior variance; col5: t-value; col6: p-value
logLikelihood	log likelihood from the final regression coefficients
WaldScore	Wald Score
Intercept	Intercept
lambda	the hyperparameter; same as input lambda
alpha	the hyperparameter; same as input alpha

**Author(s)**

Anhui Huang; Dept of Electrical and Computer Engineering, Univ of Miami, Coral Gables, FL

**References**

Huang A, Xu S, Cai X: Empirical Bayesian LASSO-logistic regression for multiple binary trait locus mapping. BMC genetics 2013, 14(1):5.

**Examples**

```
library(EBEN)
data(BASISbinomial)
data(yBinomial)
#reduce sample size to speed up the running time
n = 50;
k = 100;
N = length(yBinomial);
set = sample(N,n);
```

```
BASIS = BASISbinomial[set,1:k];
y = yBinomial[set];
output = EBlasticNet.Binomial(BASIS, y, lambda = 0.1, alpha = 0.5, Epis = FALSE, verbose = 5)
```

---

EBlasticNet.BinomialCV

*Cross Validation (CV) Function to Determine Hyperparameter of the EB\_Elastic Net Algorithm for Binomial Model with Normal-Gamma (NG) Prior Distribution*

---

### Description

Hyperparameter controls degree of shrinkage, and is obtained via Cross Validation (CV). This program calculates the maximum lambda that allows one non-zero basis; and performs a search down to  $0.001 * \lambda_{max}$  at even steps. (20 steps)

### Usage

```
EBlasticNet.BinomialCV(BASIS, Target, nFolds, foldId, Epis = FALSE, verbose = 0)
```

### Arguments

BASIS	sample matrix; rows correspond to samples, columns correspond to features
Target	Class label of each individual, TAKES VALUES OF 0 OR 1
nFolds	number of n-fold cv
Epis	TRUE or FALSE for including two-way interactions
foldId	random assign samples to different folds
verbose	from 0 to 5; larger verbose displays more messages

### Details

If Epis=TRUE, the program adds two-way interaction  $K*(K-1)/2$  more columns to BASIS

### Value

CrossValidation	col1: hyperparameter; col2: loglikelihood mean; standard ERROR of nfold mean log likelihood
Lmabda_optimal	the optimal hyperparameter as computed
Alpha_optimal	the optimal hyperparameter as computed

### Author(s)

Anhui Huang; Dept of Electrical and Computer Engineering, Univ of Miami, Coral Gables, FL

## References

Huang A, Xu S, Cai X: Empirical Bayesian LASSO-logistic regression for multiple binary trait locus mapping. BMC genetics 2013, 14(1):5.

## Examples

```
## not run
library(EBEN)
data(BASISbinomial)
data(yBinomial)
#reduce sample size to speed up the running time
n = 50;
k = 100;
N = length(yBinomial);
set.seed(1)
set = sample(N,n);
BASIS = BASISbinomial[set,1:k];
y = yBinomial[set];
nFolds = 3
## Not run:
CV = EBlasticNet.BinomialLCV(BASIS, y, nFolds = 3,Epis = FALSE)

## End(Not run)
```

---

EBlasticNet.Gaussian *The EB Elastic Net Algorithm for Gaussian Model*

---

## Description

General linear regression, normal-Gamma (NG) hierarchical prior for regression coefficients

## Usage

```
EBlasticNet.Gaussian(BASIS, Target, lambda, alpha,Epis = FALSE,verbose = 0)
```

## Arguments

BASIS	sample matrix; rows correspond to samples, columns correspond to features
Target	Response each individual
lambda	Hyperparameter controls degree of shrinkage; can be obtained via Cross Validation; $\lambda > 0$
alpha	Hyperparameter controls degree of shrinkage; can be obtained via Cross Validation; $0 < \alpha < 1$
Epis	TRUE or FALSE for including two-way interactions
verbose	0 or 1; 1: display message; 0 no message

**Details**

If Epis=TRUE, the program adds two-way interaction of  $K*(K-1)/2$  more columns to BASIS

**Value**

weight	the none-zero regression coefficients: col1,col2 are the indices of the bases(main if equal); col3: coefficient value; col4: posterior variance; col5: t-value; col6: p-value
WaldScore	Wald Score
Intercept	Intercept
lambda	the hyperparameter; same as input lambda
alpha	the hyperparameter; same as input alpha

**Author(s)**

Anhui Huang; Dept of Electrical and Computer Engineering, Univ of Miami, Coral Gables, FL

**References**

Huang, A., Xu, S., and Cai, X. (2014). Empirical Bayesian elastic net for multiple quantitative trait locus mapping. *Heredity* 10.1038/hdy.2014.79

**Examples**

```
library(EBEN)
data(BASIS)
data(y)
n = 50;
k = 100;
BASIS = BASIS[1:n,1:k];
y = y[1:n];
Blup = EBlasticNet.Gaussian(BASIS, y, lambda = 0.0072, alpha = 0.95, Epis = FALSE, verbose = 0)
betas = Blup$weight
betas
```

---

EBlasticNet.GaussianCV

*Cross Validation (CV) Function to Determine Hyperparameters of the EBEN Algorithm for Gaussian Model*

---



**Description**

Hyperparameter controls degree of shrinkage, and is obtained via Cross Validation (CV). This program calculates the maximum lambda that allows one non-zero basis; and performs a search down to  $0.0001 * \lambda_{\max}$  at even steps. (20 steps)

**Usage**

```
EBlasticNet.GaussianCV(BASIS, Target, nFolds, foldId, Epis = FALSE, verbose = 0)
```

**Arguments**

BASIS	sample matrix; rows correspond to samples, columns correspond to features
Target	Response each individual
nFolds	number of n-fold cv
Epis	TRUE or FALSE for including two-way interactions
foldId	random assign samples to different folds
verbose	from 0 to 5; larger verbose displays more messages

**Details**

If Epis=TRUE, the program adds two-way interaction  $K*(K-1)/2$  more columns to BASIS

**Value**

CrossValidation	col1: hyperparameter; col2: loglikelihood mean; standard ERROR of nfold mean log likelihood
Lmabda_optimal	the optimal hyperparameter as computed
Alpha_optimal	the optimal hyperparameter as computed

**Author(s)**

Anhui Huang; Dept of Electrical and Computer Engineering, Univ of Miami, Coral Gables, FL

**References**

Huang, A., Xu, S., and Cai, X. (2013). Empirical Bayesian elastic net for multiple quantitative trait locus mapping. submitted.

**Examples**

```
library(EBEN)
data(BASIS)
data(y)
#reduce sample size to speed up the running time
n = 50;
k = 100;
BASIS = BASIS[1:n, 1:k];
```

```

y = y[1:n];
## Not run:
CV = EBlasticNet.GaussianCV(BASIS, y, nFolds = 3,Epis = FALSE)

## End(Not run)

```

---

EBlassoNEG.Binomial    *The EBlasso Algorithm for Binomial Model with Normal-Exponential-Gamma (NEG) Prior Distribution*

---

### Description

Generalized linear regression, normal-exponential-gamma (NEG) hierarchical prior for regression coefficients

### Usage

```
EBlassoNEG.Binomial(BASIS, Target, a_gamma, b_gamma, Epis, verbose, group)
```

### Arguments

BASIS	sample matrix; rows correspond to samples, columns correspond to features
Target	Class label of each individual, TAKES VALUES OF 0 OR 1
a_gamma	Hyperparameters control degree of shrinkage; can be obtained via Cross Validation; a_gamma >= -1
b_gamma	Hyperparameters control degree of shrinkage; can be obtained via Cross Validation; b_gamma > 0
Epis	TRUE or FALSE for including two-way interactions
verbose	0 or 1; 1: display message; 0 no message
group	0 or 1; 0: No group effect; 1 two-way interaction grouped. Only valid when Epis = TRUE

### Details

If Epis=TRUE, the program adds two-way interaction  $K*(K-1)/2$  more columns to BASIS

### Value

weight	the none-zero regression coefficients: col1,col2 are the indices of the bases(main if equal); col3: coefficient value; col4: posterior variance; col5: t-value; col6: p-value
logLikelihood	log likelihood with the final regression coefficients

WaldScore	Wald Score
Intercept	Intercept
a_gamma	the hyperparameter; same as input
b_gamma	the hyperparameter; same as input

**Author(s)**

Anhui Huang; Dept of Electrical and Computer Engineering, Univ of Miami, Coral Gables, FL

**References**

Huang, A., Xu, S., and Cai, X.(2012). Empirical Bayesian LASSO-logistic regression for multiple binary trait locus mapping. BMC Genetics. Submitted

**Examples**

```
library(EBEN)
data(BASISbinomial)
data(yBinomial)
#reduce sample size to speed up the running time
n = 50;
k = 100;
BASIS = BASISbinomial[1:n,1:k];
y = yBinomial[1:n];
output = EBlassoNEG.Binomial(BASIS,y,0.1,0.1,Epis = FALSE)
```

---

EBlassoNEG.BinomialCV *Cross Validation (CV) Function to Determine Hyperparameters of the EBlasso Algorithm for Binomial Model with Normal-Exponential-Gamma (NEG) Prior Distribution*

---

**Description**

Hyperparameters control degree of shrinkage, and are obtained via Cross Validation. This program performs three steps of CV.

1st: a = b = 0.001, 0.01, 0.1, 1;

2nd: fix b= b1; a=[-0.5, -0.4, -0.3, -0.2, -0.1, -0.01, 0.01, 0.05, 0.1, 0.5, 1];

3rd: fix a = a2; b= 0.01 to 10 with a step size of one for b > 1 and a step size of one on the logarithmic scale for b < 1

In the 2nd step, a can take value from -1 and values in [-1, -0.5] can be added to the set in line 13 of this function (The smaller a is, the less shrinkage.)

**Usage**

```
EBlassoNEG.BinomialCV(BASIS, Target, nFolds, foldId, Epis, verbose, group)
```

**Arguments**

BASIS	sample matrix; rows correspond to samples, columns correspond to features
Target	Class label of each individual, TAKES VALUES OF 0 OR 1
nFolds	number of n-fold cv
foldId	random assign samples to different folds
Epis	TRUE or FALSE for including two-way interactions
verbose	from 0 to 5; larger verbose displays more messages
group	TRUE or FALSE; FALSE: No group effect; TRUE two-way interaction grouped. Only valid when Epis = TRUE

**Details**

If Epis=TRUE, the program adds two-way interaction  $K*(K-1)/2$  more columns to BASIS

Note: Given the fact that degree of shrinkage is a monotonic function of (a,b),

The function implemented a 3-step search as described in Huang, A. 2014, for full grid search, user needs to modify the function accordingly.

**Value**

CrossValidation	col1: hyperparameters; col2: loglikelihood mean; standard ERROR of nfold mean log likelihood
a_optimal	the optimal hyperparameter as computed
b_optimal	the optimal hyperparameter as computed

**Author(s)**

Anhui Huang; Dept of Electrical and Computer Engineering, Univ of Miami, Coral Gables, FL

**References**

Huang A, Xu S, Cai X: Empirical Bayesian LASSO-logistic regression for multiple binary trait locus mapping. BMC genetics 2013, 14(1):5.

Huang, A., S. Xu, et al. Whole-genome quantitative trait locus mapping reveals major role of epistasis on yield of rice. PLoS ONE 2014, 9(1): e87330.

**Examples**

```
library(EBEN)
data(BASISbinomial)
data(yBinomial)
#reduce sample size to speed up the running time
n = 50;
k = 100;
BASIS = BASISbinomial[1:n,1:k];
y = yBinomial[1:n];
## Not run:
CV = EBlassoNEG.BinomialCV(BASIS, y, nFolds = 3,Epis = FALSE, verbose = 0)
```

```
## End(Not run)
```

---

EBlassoNEG.Gaussian *The EBlasso Algorithm for Gaussian Model with Normal-Exponential-Gamma (NEG) Prior Distribution*

---

## Description

General linear regression, normal-exponential-gamma (NEG) hierarchical prior for regression coefficients

## Usage

```
EBlassoNEG.Gaussian(BASIS, Target, a_gamma, b_gamma, Epis, verbose, group)
```

## Arguments

BASIS	sample matrix; rows correspond to samples, columns correspond to features
Target	Response each individual
a_gamma	Hyperparameters control degree of shrinkage; can be obtained via Cross Validation
b_gamma	Hyperparameters control degree of shrinkage; can be obtained via Cross Validation
Epis	TRUE or FALSE for including two-way interactions
verbose	from 0 to 5; larger verbose displays more messages
group	0 or 1; 0: No group effect; 1 two-way interaction grouped. Only valid when Epis = TRUE

## Details

If Epis=TURE, the program adds two-way interaction  $K*(K-1)/2$  more columns to BASIS for memory efficient, the function pass `n_effect` to C. `n_effect > n_true` effects, which is a rough guess on how many variables will be selected by the function by providing a relative 'small' `n_effect`, the function will not allocate a large trunk of memory during computation.

## Value

weight	the none-zero regression coefficients: col1,col2 are the indices of the bases(main if equal); col3: coefficient value; col4: posterior variance; col5: t-value; col6: p-value
--------	--

WaldScore	Wald Score
Intercept	Intercept
residVar	residual variance
a_gamma	the hyperparameter; same as input
b_gamma	the hyperparameter; same as input

**Author(s)**

Anhui Huang; Dept of Electrical and Computer Engineering, Univ of Miami, Coral Gables, FL

**References**

Cai, X., Huang, A., and Xu, S. (2011). Fast empirical Bayesian LASSO for multiple quantitative trait locus mapping. *BMC Bioinformatics* 12, 211.

**Examples**

```
library(EBEN)
data(BASIS)
data(y)
n = 50;
k = 100;
BASIS = BASIS[1:n,1:k];
y = y[1:n];
output = EBlassoNEG.Gaussian(BASIS, y, a_gamma = 0.1, b_gamma = 0.1)
```

---

EBlassoNEG.GaussianCV *Cross Validation (CV) Function to Determine Hyperparameters of the EBlasso Algorithm for Gaussian Model with Normal-Exponential-Gamma (NEG) Prior Distribution*

---

**Description**

Hyperparameters control degree of shrinkage, and are obtained via Cross Validation. This program performs three steps of CV.

1st:  $a = b = 0.001, 0.01, 0.1, 1$ ;

2nd: fix  $b = b_1$ ;  $a = [-0.5, -0.4, -0.3, -0.2, -0.1, -0.01, 0.01, 0.05, 0.1, 0.5, 1]$ ;

3rd: fix  $a = a_2$ ;  $b = 0.01$  to 10 with a step size of one for  $b > 1$  and a step size of one on the logarithmic scale for  $b < 1$

In the 2nd step,  $a$  can take value from -1 and values in  $[-1, -0.5]$  can be added to the set in line 13 of this function (The smaller  $a$  is, the less shrinkage.)

**Usage**

```
EBlassoNEG.GaussianCV(BASIS, Target, nFolds, foldId, Epis, verbose, group)
```

**Arguments**

BASIS	sample matrix; rows correspond to samples, columns correspond to features
Target	Class label of each individual, TAKES VALUES OF 0 OR 1
nFolds	number of n-fold cv
foldId	random assign samples to different folds
Epis	TRUE or FALSE for including two-way interactions
verbose	from 0 to 5; larger verbose displays more messages
group	TRUE or FALSE; FALSE: No group effect; TRUE two-way interaction grouped. Only valid when Epis = TRUE

**Details**

If Epis= TRUE, the program adds two-way interaction  $K*(K-1)/2$  more columns to BASIS

Note: Given the fact that degree of shrinkage is a monotonic function of (a,b),

The function implemented a 3-step search as described in Huang, A. 2014, for full

grid search, user needs to modify the function accordingly.

**Value**

CrossValidation	col1: hyperparameters; col2: loglikelihood mean; standard ERROR of nfold mean log likelihood
a_optimal	the optimal hyperparameter as computed
b_optimal	the optimal hyperparameter as computed

**Author(s)**

Anhui Huang; Dept of Electrical and Computer Engineering, Univ of Miami, Coral Gables, FL

**References**

Huang A, Xu S, Cai X: Empirical Bayesian LASSO-logistic regression for multiple binary trait locus mapping. BMC genetics 2013, 14(1):5.

Huang, A., S. Xu, et al. Whole-genome quantitative trait locus mapping reveals major role of epistasis on yield of rice. PLoS ONE 2014, 9(1): e87330.

**Examples**

```
library(EBEN)
data(BASIS)
data(y)
#reduce sample size to speed up the running time
n = 50;
k = 100;
BASIS = BASIS[1:n,1:k];
y = y[1:n];
## Not run:
CV = EBlassoNEG.GaussianCV(BASIS, y, nFolds = 3,Epis = FALSE)
```

```
## End(Not run)
```

---

y	<i>Sample Response Data for Gaussian Model</i>
---	--

---

### Description

Corresponding to the response of BASIS

### Usage

```
data(y)
```

### Format

The format is: num [1:1000, 1] 113.5 97.1 116.6 96.7 105.5 ...

### Source

Huang, A., Xu, S., and Cai, X. (2014). Empirical Bayesian elastic net for multiple quantitative trait locus mapping. *Heredity* 10.1038/hdy.2014.79

### Examples

```
data(y)
```

---

yBinomial	<i>Sample Variable Data for Binomial Model</i>
-----------	--

---

### Description

Corresponding to the class label of BASISbinomial

### Usage

```
data(yBinomial)
```

### Format

The format is: int [1:500, 1] 1 1 1 1 1 1 1 1 1 ...

### Source

Huang A, Xu S, Cai X: Empirical Bayesian LASSO-logistic regression for multiple binary trait locus mapping. *BMC genetics* 2013, 14(1):5.



**Examples**

```
data(BASISbinomial)
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