Package 'BarBorGradient'

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BarBor How to use BarBor function minimum approximator.	
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Description

Approximate a functions minimum with double monoton method.

Usage

```
BarBor(exp,eps,x,v,n)
```

Arguments

exp	Expression of the function to be minimized.
eps	Precision of the approximation, recommended value is 10^-10.
x	Starting point of the approximation.
V	A character vector of the functions variables, for instance the two dimension fuction $x1*x1+10*x2*x2$ needs a $c("x1","x2")$ vector.
n	Maximum setps to make while approximating, if the calculation reaches this number it exits with the current value and point. Recommended to be 10000.

Examples

```
test1 = expression(x1*x1+10*x2*x2)
eps = 10^-15
x = c(3,4)
v = c("x1","x2")
n = 10000
BarBor(test1,eps,x,v,n)
```

BarBorNoPrint

The BarBor funtcion without printing.

Description

Same approximation method as the BarBor function, but this doesn't print out anything. Its recommended use is for timing the approximation.

Usage

```
BarBorNoPrint(exp,eps,x,v,n)
```

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Arguments

exp	Expression of the function to be minimized.
eps	Precision of the approximation, recommended value is 10^-10.
x	Starting point of the approximation.
V	A character vector of the functions variables, for instance the two dimension fuction $x1*x1+10*x2*x2$ needs a $c("x1","x2")$ vector.
n	Maximum setps to make while approximating, if the calculation reaches this number it exits with the current value and point. Recommended to be 10000.

Examples

```
test1 = expression(x1*x1+10*x2*x2)
eps = 10^-15
x = c(3,4)
v = c("x1","x2")
n = 10000
BarBorNoPrint(test1,eps,x,v,n)
```

Gradient Method

 $Gradient\ method\ for\ function\ minimum\ approximation.$

Description

Gradient method for approximating a functions minimum value. The purpose of this method is to compare its result with the BarBor method.

Usage

```
Gradmod(exp,eps,G,B,m,x,v,n)
```

Arguments

exp	Expression of the function to be minimized.
eps	Precision of the approximation, recommended value is 10^-10.
G	Inner approximation coefficient, recommended value is 10^-2.
В	Inner approximation coefficient, recommended value is 0.5.
m	Inner steps, recommended value is 20.
Х	Starting point of the approximation.
V	A character vector of the functions variables. Exmaple: the two dimension fuction $x1*x1+10*x2*x2$ needs a $c("x1","x2")$ vector.
n	Maximum setps to make while approximating, if the calculation reaches this number it exits with the current value and point. Recommended to be 10000.

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Examples

```
test1 = expression(x1*x1+10*x2*x2)
eps = 10^-10
G = 10^-2
B = 0.5
m = 20
x = c(3,4)
v = c("x1","x2")
n = 10000
Gradmod(test1,eps,G,B,m,x,v,n)
```

Powell

Powell's method for finding a functions local minimum.

Description

Powell's method for finding a function local minimum. The function need not be differentiable, and no derivatives are taken. The function must be a real-valued function of a fixed number of real-valued inputs.

Usage

```
Powell(exp,eps,G,eta,m,k,x,v,n)
```

Arguments

exp	Expression of the function to be minimized.
eps	Precision of the approximation, recommended value is 10^-10.
G	Inner approximation coefficient, recommended value is 10^-2.
eta	Inner approximation coefficient, recommended value is G*2.
m	Inner steps, recommended value is 20.
k	Second inner approximation steps, recommended value is 20.
X	Starting point of the approximation.
V	A character vector of the functions variables. Exmaple: the two dimension fuction $x1*x1+10*x2*x2$ needs a $c("x1","x2")$ vector.
n	Maximum setps to make while approximating, if the calculation reaches this number it exits with the current value and point. Recommended to be 10000.

Examples

```
test1 = expression(100*(x1*x1-x2)*(x1*x1-x2)+(1-x1)*(1-x1))
eps = 10^-5
G = 10^-2
eta = G *2
m = 20
k = 20
```

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```
n = 10000
max = 1000
x = c(1,1)
v = c("x1","x2")
Powell(test1,eps,G,eta,m,k,x,v,n)
```

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