

# Package ‘CARRoT’

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**Title** Predicting Categorical and Continuous Outcomes Using One in Ten Rule

**Version** 3.0.2

**Description** Predicts categorical or continuous outcomes while concentrating on a number of key points. These are Cross-validation, Accuracy, Regression and Rule of Ten or "one in ten rule" (CARRoT), and, in addition to it R-squared statistics, prior knowledge on the dataset etc. It performs the cross-validation specified number of times by partitioning the input into training and test set and fitting linear/multinomial/binary regression models to the training set. All regression models satisfying chosen constraints are fitted and the ones with the best predictive power are given as an output. Best predictive power is understood as highest accuracy in case of binary/multinomial outcomes, smallest absolute and relative errors in case of continuous outcomes. For binary case there is also an option of finding a regression model which gives the highest AU-ROC (Area Under Receiver Operating Curve) value. The option of parallel toolbox is also available. Methods are described in Peduzzi et al. (1996) <[doi:10.1016/S0895-4356\(96\)00236-3](https://doi.org/10.1016/S0895-4356(96)00236-3)>, Rhemtulla et al. (2012) <[doi:10.1037/a0029315](https://doi.org/10.1037/a0029315)>, Riley et al. (2018) <[doi:10.1002/sim.7993](https://doi.org/10.1002/sim.7993)>, Riley et al. (2019) <[doi:10.1002/sim.7992](https://doi.org/10.1002/sim.7992)>.

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---

AUC

*Area Under the Curve*


---

### Description

Function enables efficient computation of area under receiver operating curve (AUC). Source: <https://stat.ethz.ch/pipermail/r-help/2005-September/079872.html>

### Usage

```
AUC(probs, class)
```

### Arguments

probs	probabilities
class	outcomes

### Value

A value for AUC

### Examples

```
AUC(runif(100,0,1),rbinom(100,1,0.3))
```

---

av\_out                      *Averaging out the predictive power*

---

## Description

Function which averages out the predictive power over all cross-validations

## Usage

```
av_out(preds, crv, k)
```

## Arguments

preds	An $M \times crvN$ matrix consisting of <i>crv</i> horizontally concatenated $M \times N$ matrices. These $M \times N$ matrices are the matrices of predictive powers for all feasible regressions ( $M$ is maximum feasible number of variables included in a regression, $N$ is the maximum feasible number of regressions of the fixed size; the row index indicates the number of variables included in a regression)
crv	number of cross-validations
k	size of the test set for which the predictions are made

## Value

Returns an  $M \times N$  matrix of average predictive powers where  $M$  is maximum feasible number of variables included in a regression,  $N$  is the maximum feasible number of regressions of the fixed size; the row index indicates the number of variables included in a regression

## Examples

```
#creating a matrix of predictive powers

preds<-cbind(matrix(runif(40,1,4),ncol=10),matrix(runif(40,1.5,4),ncol=10))
preds<-cbind(preds,matrix(runif(40,1,3.5),ncol=10))

#running the function

av_out(preds,3,5)
```

---

`comb`*Combining in a list*

---

**Description**

Function for combining outputs in a list

**Usage**

```
comb(...)
```

**Arguments**

... an argument of `mapply` used by this function

**See Also**

Function [mapply](#)

**Examples**

```
#array of numbers to be separated in a list
a<-1:4

#running the function
comb(a)
```

---

`compute_max_length`*Maximum number of the regressions*

---

**Description**

Function which computes the maximum number of regressions with fixed number of variables based on the rule of thumb

**Usage**

```
compute_max_length(vari_col,k,c,we,minx,maxx,st)
```

**Arguments**

vari_col	number of predictors
k	maximum weight of the predictors
c	array of all indices of the predictors
we	array of weights of the predictors. Continuous or categorical numerical variable with more than 5 categories has weight 1, otherwise it has weight n-1 where n is the number of categories
minx	minimum number of predictors, 1 by default
maxx	maximum number of predictors, total number of variables by default
st	a subset of predictors to be always included into a predictive model

**Value**

Integer corresponding to maximum number of regressions of the same size

**References**

Peduzzi P, Concato J, Kemper E, Holford TR, Feinstein AR (1996). "A simulation study of the number of events per variable in logistic regression analysis." *Journal of Clinical Epidemiology*, **49**(12), 1373-1379. ISSN 0895-4356, doi:10.1016/S08954356(96)002363, [http://dx.doi.org/10.1016/S0895-4356\(96\)00236-3](http://dx.doi.org/10.1016/S0895-4356(96)00236-3).

Rhemtulla M, Brosseau-Liard PÉ, Savalei V (2012). "When can categorical variables be treated as continuous?: A comparison of robust continuous and categorical SEM estimation methods under suboptimal conditions." *Psychological Methods*, **17**(3), 354-373. doi:10.1037/a0029315.

**See Also**

Function uses [combn](#)

**Examples**

```
compute_max_length(4,40,1:4,c(1,1,2,1))
```

---

compute_max_weight	<i>Maximum feasible weight of the predictors</i>
--------------------	--

---

**Description**

Function which computes maximal weight (multiplied by the corresponding EPV rule) of a regression according to the rule of thumb applied to the outcome variable. Weight of a regression equals the sum of weights of its predictors.

**Usage**

```
compute_max_weight(outi,mode)
```

**Arguments**

outi                    set of outcomes  
 mode                   indicates the mode: 'linear' (linear regression), 'binary' (logistic regression),  
                          'multin' (multinomial regression)

**Details**

For continuous outcomes it equals sample size divided by 10, for multinomial it equals the size of the smallest category divided by 10

**Value**

returns an integer value of maximum allowed weight multiplied by 10

**References**

Peduzzi P, Concato J, Kemper E, Holford TR, Feinstein AR (1996). "A simulation study of the number of events per variable in logistic regression analysis." *Journal of Clinical Epidemiology*, **49**(12), 1373-1379. ISSN 0895-4356, doi:10.1016/S08954356(96)002363, [http://dx.doi.org/10.1016/S0895-4356\(96\)00236-3](http://dx.doi.org/10.1016/S0895-4356(96)00236-3).

**Examples**

```
#continuous outcomes
compute_max_weight(runif(100,0,1),'linear')

#binary outcomes
compute_max_weight(rbinom(100,1,0.4),'binary')
```

---

compute_weights	<i>Weights of predictors</i>
-----------------	------------------------------

---

**Description**

Function which computes the weight of each predictor according to the rules of thumb and outputs it into corresponding array

**Usage**

```
compute_weights(vari_col, vari)
```

**Arguments**

vari\_col                number of predictors  
 vari                    set of predictors

## Details

Continuous or categorical numerical variable with more than 5 categories has weight 1, otherwise it has weight  $n-1$  where  $n$  is the number of categories

## Value

Returns an array of weights of the size `vari_col`

## References

Peduzzi P, Concato J, Kemper E, Holford TR, Feinstein AR (1996). "A simulation study of the number of events per variable in logistic regression analysis." *Journal of Clinical Epidemiology*, **49**(12), 1373-1379. ISSN 0895-4356, doi:10.1016/S08954356(96)002363, [http://dx.doi.org/10.1016/S0895-4356\(96\)00236-3](http://dx.doi.org/10.1016/S0895-4356(96)00236-3).

Rhemtulla M, Brosseau-Liard PÉ, Savalei V (2012). "When can categorical variables be treated as continuous?: A comparison of robust continuous and categorical SEM estimation methods under suboptimal conditions." *Psychological Methods*, **17**(3), 354-373. doi:10.1037/a0029315.

## Examples

```
#creating data-set with for variables
a<-matrix(NA,nrow=100,ncol=4)

#binary variable
a[,1]=rbinom(100,1,0.3)

#continuous variable
a[,2]=runif(100,0,1)

#categorical numeric with les than 5 categories
a[,3]=t(rmultinom(100,1,c(0.2,0.3,0.5)))*%c(1,2,3)

#categorical numeric with 5 categories
a[,4]=t(rmultinom(100,1,c(0.2,0.3,0.3,0.1,0.1)))*%c(1,2,3,4,5)

#running the function
compute_weights(4,a)
```

---

 cross\_val

*Cross-validation run*


---

### Description

Function running a single cross-validation by partitioning the data into training and test set

### Usage

```
cross_val(
  vari,
  outi,
  c,
  rule,
  part,
  l,
  we,
  vari_col,
  preds,
  mode,
  cmode,
  predm,
  cutoff,
  objfun,
  minx = 1,
  maxx = NULL,
  nr = NULL,
  maxw = NULL,
  st = NULL,
  corr = 1,
  Rsq = F,
  marg = 0,
  n_tr,
  preds_tr
)
```

### Arguments

vari	set of predictors
outi	array of outcomes
c	set of all indices of the predictors
rule	an Events per Variable (EPV) rule, defaults to 10
part	indicates partition of the original data-set into training and test set in a proportion (part-1):1
l	number of observations



we	weights of the predictors
vari_col	overall number of predictors
preds	array to write predictions for the test split into, initially empty
mode	'binary' (logistic regression), 'multin' (multinomial regression)
cmode	'det' or ''; 'det' always predicts the more likely outcome as determined by the odds ratio; '' predicts certain outcome with probability corresponding to its odds ratio (more conservative). Option available for multinomial/logistic regression
predm	'exact' or ''; for logistic and multinomial regression; 'exact' computes how many times the exact outcome category was predicted, '' computes how many times either the exact outcome category or its nearest neighbour was predicted
cutoff	cut-off value for logistic regression
objfun	'roc' for maximising the predictive power with respect to AUC, 'acc' for maximising predictive power with respect to accuracy.
minx	minimum number of predictors to be included in a regression, defaults to 1
maxx	maximum number of predictors to be included in a regression, defaults to maximum feasible number according to one in ten rule
nr	a subset of the data-set, such that 1/part of it lies in the test set and 1-1/part is in the training set, defaults to empty set
maxw	maximum weight of predictors to be included in a regression, defaults to maximum weight according to one in ten rule
st	a subset of predictors to be always included into a predictive model, defaults to empty set
corr	maximum correlation between a pair of predictors in a model
Rsq	whether R-squared statistics constrained is introduced
marg	margin of error for R-squared statistics constraint
n_tr	size of the training set
preds_tr	array to write predictions for the training split into, initially empty

**Value**

regr	An $M \times N$ matrix of sums of the absolute errors for each element of the test set for each feasible regression. $M$ is maximum feasible number of variables included in a regression, $N$ is the maximum feasible number of regressions of the fixed size; the row index indicates the number of variables included in a regression. Therefore each row corresponds to results obtained from running regressions with the same number of variables and columns correspond to different subsets of predictors used.
regrr	An $M \times N$ matrix of sums of the relative errors for each element of the test set (only for mode = 'linear') for each feasible regression. $M$ is maximum feasible number of variables included in a regression, $N$ is the maximum feasible number of regressions of the fixed size; the row index indicates the number of variables included in a regression. Therefore each row corresponds to results obtained from running regressions with the same number of variables and columns correspond to different subsets of predictors used.

nvar            Maximum feasible number of variables in the regression  
emp             An accuracy of always predicting the more likely outcome as suggested by the training set (only for mode = 'binary' and objfun = 'acc')

In regr and regrr NA values are possible since for some numbers of variables there are fewer feasible regressions than for the others.

### See Also

Uses [compute\\_max\\_weight](#), [sum\\_weights\\_sub](#), [make\\_numeric\\_sets](#), [get\\_predictions\\_lin](#), [get\\_predictions](#), [get\\_probabilities](#), [AUC](#), [combn](#)

### Examples

```
#creating variables
vari<-matrix(c(1:100,seq(1,300,3)),ncol=2)

#creating outcomes
out<-rbinom(100,1,0.3)

#creating array for predictions
pr<-array(NA,c(2,2))
pr_tr<-array(NA,c(2,2))

#passing set of the indexes of the predictors
c<-c(1:2)

#passing the weights of the predictors
we<-c(1,1)

#setting the mode
m<-'binary'

#running the function
cross_val(vari,out,c,10,10,100,we,2,pr,m,'det','exact',0.5,'acc',nr=c(1,4),n_tr=90,preds_tr=pr_tr)
```

---

cub

*Three-way interactions and squares*

---

### Description

Function transforms a set of predictors into a set of predictors, their squares, pairwise interactions, cubes and three-way interactions

**Usage**

```
cub(A, n = 1000)
```

**Arguments**

A	set of predictors
n	first n predictors, whose interactions with the rest should be taken into account, defaults to all of the predictors

**Value**

Returns the predictors including their squares, pairwise interactions, cubes and three-way interactions

**Examples**

```
cub(cbind(1:100, rnorm(100), runif(100), rnorm(100, 0, 2)))
```

---

find\_int

*Finding the interacting terms based on the index*

---

**Description**

Function transforms an index of an array of two- or three-way interactions into two or three indices corresponding to the interacting variables

**Usage**

```
find_int(ind, N)
```

**Arguments**

ind	index to transform
N	number of interacting variables

**Value**

Returns two or three indices corresponding to a combination of variables written under the given index

**Examples**

```
find_int(28, 9)
```

---

find_sub	<i>Finds certain subsets of predictors</i>
----------	--

---

**Description**

Reorders the columns of matrix a according to the ordered elements of array s

**Usage**

```
find_sub(a,s,j,c,st)
```

**Arguments**

a	A j x N matrix, containing all possible subsets (N overall) of the size j of predictors' indices.
s	array of numbers of the size N
j	number of rows in a
c	array of all indices of the predictors
st	a subset of predictors to be always included into a predictive model

**Value**

Returns a submatrix of matrix a which consists of columns determined by the input array s

**Examples**

```
#all two-element subsets of 1:3  
  
a<-combn(3,2)  
s<-c(3,2,3)  
  
find_sub(a,s,2,1:3)
```

---

get_indices	<i>Best regression</i>
-------------	------------------------

---

**Description**

Function which identifies regressions with the highest predictive power

**Usage**

```
get_indices(predsp,nvar,c,we,st,minx)
```

**Arguments**

predsp	An M x N matrix of averaged out predictive power values. M is maximum feasible number of variables included in a regression, N is the maximum feasible number of regressions of the fixed size; the row index indicates the number of variables included in a regression.
nvar	array of maximal number of variables for each cross-validation
c	array of all indices of the prediction variables
we	array of all weights of the prediction variables
st	a subset of predictors to be always included into a predictive model
minx	minimum number of predictors, defaults to 1

**Value**

A list of arrays which contain indices of the predictors corresponding to the best regressions

**See Also**

Uses [sum\\_weights\\_sub](#), [find\\_sub](#), [combn](#)

**Examples**

```
#creating a set of averaged out predictive powers

predsp<-matrix(NA,ncol=3,nrow=3)

predsp[1,]=runif(3,0.7,0.8)
predsp[2,]=runif(3,0.65,0.85)
predsp[3,1]=runif(1,0.4,0.5)

#running the function

get_indices(predsp,c(3,3,3),1:3,c(1,1,1))
```

---

get\_predictions      *Predictions for multinomial regression*

---

**Description**

Function which makes a prediction for multinomial/logistic regression based on the given cut-off value and probabilities.

**Usage**

```
get_predictions(p,k,cutoff,cmode,mode)
```

**Arguments**

p	probabilities of the outcomes for the test set given either by an array (logistic regression) or by a matrix (multinomial regression)
k	size of the test set
cutoff	cut-off value of the probability
cmode	'det' or ''; 'det' always predicts the more likely outcome as determined by the odds ratio; '' predicts certain outcome with probability corresponding to its odds ratio (more conservative). Option available for multinomial/logistic regression
mode	'binary' (logistic regression), 'multin' (multinomial regression)

**Value**

Outputs the array of the predictions of the size of p.

**See Also**

Uses [rbinom](#), [rmultinom](#)

**Examples**

```
#binary mode

get_predictions(runif(20,0.4,0.6),20,0.5,'det','binary')

#creating a data-set for multinomial mode

p1<-runif(20,0.4,0.6)
p2<-runif(20,0.1,0.2)
p3<-1-p1-p2

#running the function

get_predictions(matrix(c(p1,p2,p3),ncol=3),20,0.5,'det','multin')
```

---

get\_predictions\_lin    *Predictions for linear regression*

---

**Description**

Function which runs a linear regression on a training set, computes predictions for the test set

**Usage**

```
get_predictions_lin(trset, testset, outc, k, n_tr, p, Rsq, Rsq_v, marg)
```

**Arguments**

trset	values of predictors on the training set
testset	values of predictors on the test set
outc	values of predictors on the training set
k	length of the test set
n_tr	size of the training set
p	weight of the model
Rsq	whether the R-squared statistics constraint is introduced
Rsq_v	value of R-squared statistics on the training spli of the data
marg	margin of error for R-squared statistics constraint

**Value**

An array of continous variables of the length equal to the size of a testset

**See Also**

Function uses function [lsfit](#) and [coef](#)

**Examples**

```
trset<-matrix(c(rnorm(90,2,4),runif(90,0,0.5),rbinom(90,1,0.5)),ncol=3)
testset<-matrix(c(rnorm(10,2,4),runif(10,0,0.5),rbinom(10,1,0.5)),ncol=3)
get_predictions_lin(trset,testset,runif(90,0,1),10)
```

---

get\_probabilities      *Probabilities for multinomial regression*

---

**Description**

Function which computes probabilities of outcomes on the test set by applying regression parameters inferred by a run on the training set. Works for logistic or multinomial regression

**Usage**

```
get_probabilities(trset, testset, outc, mode, Rsq, p, n_tr)
```

**Arguments**

trset	values of predictors on the training set
testset	values of predictors on the test set
outc	values of outcomes on the training set
mode	'binary' (logistic regression) or 'multin' (multinomial regression)
Rsq	whether R-squared statistics constrained is introduced
p	weight of the model
n_tr	size of the training set

**Details**

In binary mode this function computes the probabilities of the event '0'. In multinomial mode computes the probabilities of the events '0','1',..., 'N-1'.

**Value**

Probabilities of the outcomes. In 'binary' mode returns an array of the size of the number of observations in a testset. In 'multin' returns an M x N matrix where M is the size of the number of observations in a testset and N is the number of unique outcomes minus 1.

**See Also**

Function uses [multinom](#) and [coef](#)

**Examples**

```
trset<-matrix(c(rbinom(70,1,0.5),runif(70,0.1)),ncol=2)
testset<-matrix(c(rbinom(10,1,0.5),runif(10,0.1)),ncol=2)
get_probabilities(trset,testset,rbinom(70,1,0.6),'binary')
```

---

make\_numeric

*Turning a non-numeric variable into a numeric one*

---

**Description**

Function which turns a single categorical (non-numeric) variable into a numeric one (or several) by introducing dummy '0'/'1' variables.

**Usage**

```
make_numeric(vari, outcome, ra,mode)
```



**Arguments**

vari	array of values to be transformed
outcome	TRUE/FALSE indicates whether the variable vari is an outcome (TRUE) or a predictor (FALSE)
ra	indices of the input array vari which indicate which values will be transformed
mode	'binary' (logistic regression), 'multin' (multinomial regression)

**Details**

This function is essentially a standard way to turn categorical non-numeric variables into numeric ones in order to run a regression

**Value**

Returned value is an M x N matrix where M is the length of the input array of indices ra and N is length(vari)-1.

**Examples**

```
#creating a non-numeric set

a<-t(rmultinom(100,1,c(0.2,0.3,0.5)))%*%c(1,2,3)

a[a==1]='red'
a[a==2]='green'
a[a==3]='blue'

#running the function

make_numeric(a,FALSE,sample(1:100,50),"linear")

make_numeric(a,TRUE,sample(1:100,50))
```

---

make_numeric_sets	<i>Transforming the set of predictors into a numeric set</i>
-------------------	--

---

**Description**

Function which turns a set of predictors containing non-numeric variables into a fully numeric set

**Usage**

```
make_numeric_sets(a,ai,k,vari,ra,l,mode)
```

**Arguments**

a	An $M \times N$ matrix, containing all possible subsets ( $N$ overall) of the size $M$ of predictors' indices; therefore each column of $a$ defines a unique subset of the predictors
ai	array of indices of the array $a$
k	index of the array $a_i$
vari	set of all predictors
ra	array of sample indices of $vari$
l	size of the sample
mode	'binary' (logistic regression), 'multin' (multinomial regression)

**Details**

Function transforms the whole set of predictors into a numeric set by consecutively calling function `make_numeric` for each predictor

**Value**

Returns a list containing two objects: `tr` and `test`

<code>tr</code>	training set transformed into a numeric one
<code>test</code>	test set transformed into a numeric one

**See Also**

[make\\_numeric](#)

**Examples**

```
#creating a categorical numeric variable
a<-t(rmultinom(100,1,c(0.2,0.3,0.5)))%*%c(1,2,3)

#creating an analogous non-numeric variable
c<-array(NA,100)
c[a==1]='red'
c[a==2]='green'
c[a==3]='blue'

#creating a data-set
b<-data.frame(matrix(c(a,rbinom(100,1,0.3),runif(100,0,1)),ncol=3))

#making the first column of the data-set non-numeric
b[,1]=data.frame(c)
```

```
#running the function  
make_numeric_sets(combn(3,2),1:3,1,b,sample(1:100,60),100,"binary")
```

---

quadr *Pairwise interactions and squares*

---

### Description

Function transforms a set of predictors into a set of predictors, their squares and pairwise interactions

### Usage

```
quadr(A, n = 1000)
```

### Arguments

A set of predictors  
n first n predictors, whose interactions with the rest should be taken into account, defaults to all of the predictors

### Value

Returns the predictors including their squares and pairwise interactions

### Examples

```
quadr(cbind(1:100,rnorm(100),runif(100),rnorm(100,0,2)))
```

---

regr\_ind *Indices of the best regressions*

---

### Description

One of the two main functions of the package. Identifies the predictors included into regressions with the highest average predictive power

**Usage**

```

regr_ind(
  vari,
  outi,
  crv,
  cutoff = NULL,
  part = 10,
  mode,
  cmode = "det",
  predm = "exact",
  objfun = "acc",
  parallel = FALSE,
  cores,
  minx = 1,
  maxx = NULL,
  nr = NULL,
  maxw = NULL,
  st = NULL,
  rule = 10,
  corr = 1,
  Rsq = F,
  marg = 0
)

```

**Arguments**

vari	set of predictors
outi	array of outcomes
crv	number of cross-validations
cutoff	cut-off value for mode 'binary'
part	for each cross-validation partitions the dataset into training and test set in a proportion (part-1):part
mode	'binary' (logistic regression), 'multin' (multinomial regression)
cmode	'det' or ''; 'det' always predicts the more likely outcome as determined by the odds ratio; '' predicts certain outcome with probability corresponding to its odds ratio (more conservative). Option available for multinomial/logistic regression
predm	'exact' or ''; for logistic and multinomial regression; 'exact' computes how many times the exact outcome category was predicted, '' computes how many times either the exact outcome category or its nearest neighbour was predicted
objfun	'roc' for maximising the predictive power with respect to AUC, available only for mode='binary'; 'acc' for maximising predictive power with respect to accuracy.
parallel	TRUE if using parallel toolbox, FALSE if not. Defaults to FALSE
cores	number of cores to use in case of parallel=TRUE

minx	minimum number of predictors to be included in a regression, defaults to 1
maxx	maximum number of predictors to be included in a regression, defaults to maximum feasible number according to one in ten rule
nr	a subset of the data-set, such that 1/part of it lies in the test set and 1-1/part is in the training set, defaults to empty set. This is to ensure that elements of this subset are included both in the training and in the test set.
maxw	maximum weight of predictors to be included in a regression, defaults to maximum weight according to one in ten rule
st	a subset of predictors to be always included into a predictive model, defaults to empty set
rule	an Events per Variable (EPV) rule, defaults to 10'
corr	maximum correlation between a pair of predictors in a model
Rsq	whether the R-squared statistics constraint is introduced
marg	margin of error for R-squared statistics constraint

### Value

Prints the best predictive power provided by a regression, predictive accuracy of the empirical prediction (value of emp computed by `cross_val` for logistic and linear regression). Returns indices of the predictors included into regressions with the highest predictive power written in a list. For `mode='linear'` outputs a list of two lists. First list corresponds to the smallest absolute error, second corresponds to the smallest relative error

### See Also

Uses [compute\\_weights](#), [make\\_numeric](#), [compute\\_max\\_weight](#), [compute\\_weights](#), [compute\\_max\\_length](#), [cross\\_val](#), [av\\_out](#), [get\\_indices](#)

### Examples

```
#creating variables for linear regression mode
variables_lin<-matrix(c(rnorm(56,0,1),rnorm(56,1,2)),ncol=2)

#creating outcomes for linear regression mode
outcomes_lin<-rnorm(56,2,1)

#running the function
regr_ind(variables_lin,outcomes_lin,100,mode='linear',parallel=TRUE,cores=2)

#creating variables for binary mode
vari<-matrix(c(1:100,seq(1,300,3)),ncol=2)

#creating outcomes for binary mode
```

```
out<-rbinom(100,1,0.3)

#running the function

regr_ind(vari,out,20,cutoff=0.5,part=10,mode='binary',parallel=TRUE,cores=2,nr=c(1,10,20),maxx=1)
```

---

sum_weights_sub	<i>Cumulative weights of the predictors' subsets</i>
-----------------	--

---

### Description

Function which computes the sum of predictors' weights for each subset containing a fixed number of predictors

### Usage

```
sum_weights_sub(a,m,we,st)
```

### Arguments

a	an m x N matrix, containing all possible subsets (N overall) of the size m of predictors' indices; therefore each column of a defines a unique subset of the predictors
m	number of elements in each subset of indices
we	array of weights of the predictors
st	a subset of predictors to be always included into a predictive model

### Value

Returns an array of weights for predictors defined by each column of the matrix a

### Examples

```
#all two-element subsets of the set 1:3

a<-combn(3,2)

sum_weights_sub(a,2,c(1,2,1))
```

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