Package 'SamplingBigData'

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Type Package

Title Sampling Methods for Big Data

SamplingBigData-package

Sampling Methods for Big Data

Description

Select sampling methods for probability samples using large data sets. This includes spatially balanced sampling in multi-dimensional spaces with any prescribed inclusion probabilities. All implementations are written in C using efficient data structures such as k-d trees that easily scale to several million rows on a modern desktop computer.

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References

Deville, J.-C. and Tillé, Y. (1998). Unequal probability sampling without replacement through a splitting method. Biometrika 85, 89-101.

Grafström, A. (2012). Spatially correlated Poisson sampling. Journal of Statistical Planning and Inference, 142(1), 139-147.

Grafström, A. and Lundström, N.L.P. (2013). Why well spread probability samples are balanced. Open Journal of Statistics, 3(1).

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Grafström, A., Lundström, N.L.P. and Schelin, L. (2012). Spatially balanced sampling through the Pivotal method. Biometrics 68(2), 514-520.

Grafström, A. and Tillé, Y. (2013). Doubly balanced spatial sampling with spreading and restitution of auxiliary totals. Environmetrics, 24(2), 120-131.

Lisic, L. and Cruze, N. (2016). Local Pivotal Methods for Large Surveys. In proceedings, ICES V, Geneva Switzerland 2016.

Examples

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```
for(i in seq(nrs) ){
    # lpm2 kdtree
    s = lpm2_kdtree(p,X);
    p1[s]=p1[s]+1;

    # pivotal method
    s = split_sample(p);
    p2[s]=p2[s]+1;
}
print(p);
print(p1/nrs);
print(p2/nrs);
```

1pm2_kdtree

Local Pivotal Method

Description

The local pivotal method provides a way to perform balanced sampling. This implementation replace linear searches in lpm2, with k-d trees. K-d trees are binary trees used to effectively search high dimensional spaces, and reduce the average computational complexity of lpm2 from $O(N^2)$ to $O(N \log(N))$. Both nearest neighbor and approximate nearest neighbor searching algorithms are provided.

Usage

```
lpm2_kdtree(
   prob,
   X,
   m=40,
   algorithm = "kdtree",
   maxCheck = 4,
   termDist = 0.1,
   inOrder = FALSE,
   resample = 1,
   probTree = FALSE,
   returnTree = FALSE,
   returnBounds = FALSE
)
```

Arguments

prob

An array of length N such that the sum of prob is equal to the sample size, where the N is the number of rows of x.

Χ

A matrix of N rows and p columns, each row is assumed to be a sampling unit.

lpm2_kdtree

m	Max leaf size used as a terminal condition for building the k-d tree. When probTree is FALSE, m is the number of rows of x held within each leaf node. When probTree is TRUE, m is the sum of the probability held within each node.
algorithm	The algorithm used to search the k-d tree. The algorithms include "kdtree", "kdtree-count", and "kdtree-dist". The "kdtree" algorithm reproduces the lpm2 using a k-d tree for nearest neighbor search. "kdtree-count" and "kdtree-dist" use approximate nearest neighbor searches based on number of nodes to check and minimal sufficient distance respectfully.
maxCheck	A positive integer scalar parameter only used when the algorithm "kdtree-count" is specified. This parameter is the maximum number of non-empty leaf nodes to check for a nearest neighbor.
termDist	A positive valued scalar parameter only used when the algorithm "kdtree-dist" is specified. This parameter specifies a minimal sufficient distance to be considered a nearest neighbor. No tie handling is performed; the first nearest neighbor found will be used.
inOrder	\boldsymbol{A} boolean value, TRUE will return results in order of selection. FALSE will return in order of index.
resample	The number of samples to return. Resampling builds the k-d tree exactly once for all samples. Each sample will be a distinct column in a matrix.
probTree	A boolean value, TRUE will split the $k\text{-d}$ tree based on the weighted median, using the values in prob.
returnTree	A boolean value, TRUE will return the node assignment. This assignment will be appended to a returned list
returnBounds	A boolean value, TRUE will return the bounds for each node assignment. These bounds will be appended to a returned list.

Value

A vector of selected indexes from the matrix x. If using default values for inOrder, resample, and algorithm, the results identical to the lpm2 function when no ties exist in the distance function exist. inOrder=TRUE will return results in order of selection, and resample > 1 will return a matrix with each set of samples returned as a column vector.

A list is returned includiing this vector if returnTree or returnBounds is set to TRUE.

Author(s)

Jonathan Lisic

References

Lisic, L. and Cruze, N. (2016). Local Pivotal Methods for Large Surveys. In proceedings, ICES V, Geneva Switzerland 2016.

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Examples

```
N <- 1000
n <- 100
x <- cbind( runif(N), runif(N))
set.seed(100)
Cprog <- proc.time()
sampled <- lpm2_kdtree( rep(n/N,N), x)
print("lpm2_kdtree running time")
print(proc.time() - Cprog)</pre>
```

split_sample

Split Sample

Description

This is a fast implementation of the pivotal method.

Usage

```
split_sample(
  prob,
  delta = exp(-16)
)
```

Arguments

prob

An array of length N such that the sum of prob is equal to the sample size.

delta

A small real value that is used for tolerance in determining if the value is in-

cluded or excluded from the sample.

Value

An array of indexes from prob. Indexes with this list are sampled.

Author(s)

Jonathan Lisic

References

Deville, J.-C. and Tillé, Y. (1998). Unequal probability sampling without replacement through a splitting method. Biometrika 85, 89-101.

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Examples

```
N <- 1000
n <- 100
runif(N)

set.seed(100)
Cprog <- proc.time()
sampled <- split_sample( rep(n/N,N))
print(proc.time() - Cprog)</pre>
```

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